

Strong Cosmic Censorship in charged black-hole spacetimes

Kyriakos Destounis

CENTRA, Instituto Superior Tecnico

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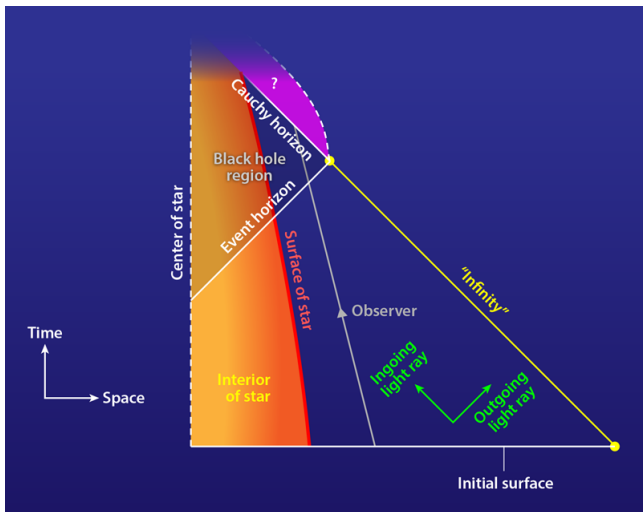


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based on **Phys. Rev. Lett. 120, 031103**, **Phys. Rev. D 98, 104007** and **arXiv:1811.10629**

Cauchy horizons and Strong Cosmic Censorship



$$\beta \equiv \frac{-\text{Im}(\omega)}{\kappa_-} < \frac{1}{2} \quad (\text{Im}(\omega): \text{decay rate})$$

(κ_- : blueshift amplification factor)

We consider a **Reissner-Nordström-de Sitter black hole (RNdS BH)**, where

$$f(r) = 1 - \frac{2M}{r} + \frac{Q^2}{r^2} - \frac{\Lambda r^2}{3},$$

with three horizons $r_- < r_+ < r_c$. The **master equation** reads

$$\frac{d^2 \psi}{dr_*^2} + \left[\left(\omega - \frac{qQ}{r} \right)^2 - V(r) \right] \psi = 0,$$

where

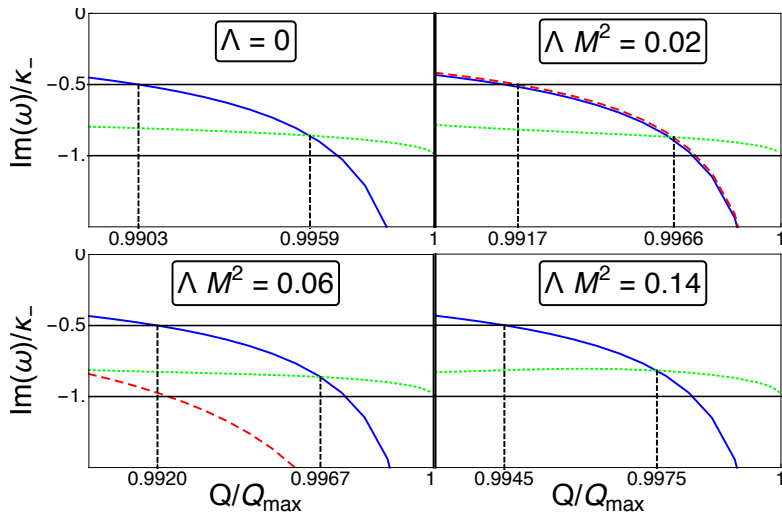
$$V(r) = f(r) \left(\mu^2 + \frac{l(l+1)}{r^2} + \frac{f'(r)}{r} \right), \quad l = 0, 1, 2, \dots$$

To obtain the **quasinormal modes (QNMs)** we impose the boundary conditions

$$\psi \rightarrow \begin{cases} e^{-i(\omega - qQ/r_+)r_*}, & r_* \rightarrow -\infty \quad (r \rightarrow r_+) \\ e^{i(\omega - qQ/r_c)r_*}, & r_* \rightarrow \infty \quad (r \rightarrow r_c) \end{cases}$$

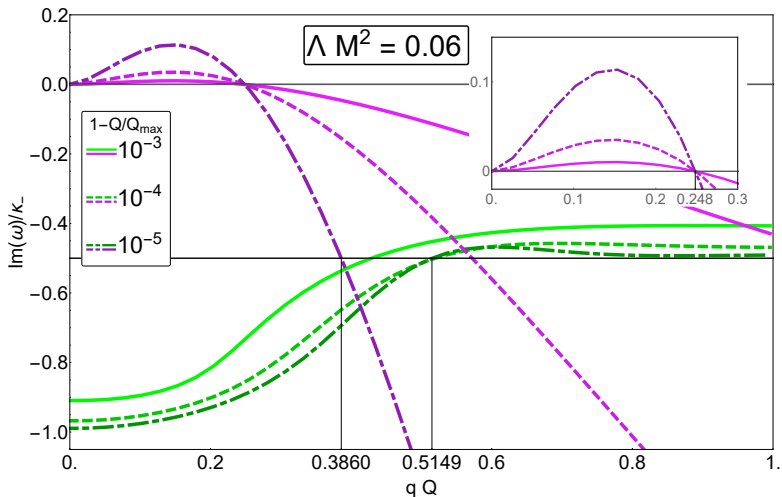
- **Photon Sphere Modes**
- **de Sitter Modes**
- **Near-Extremal Modes**

Dominant neutral modes and SCC



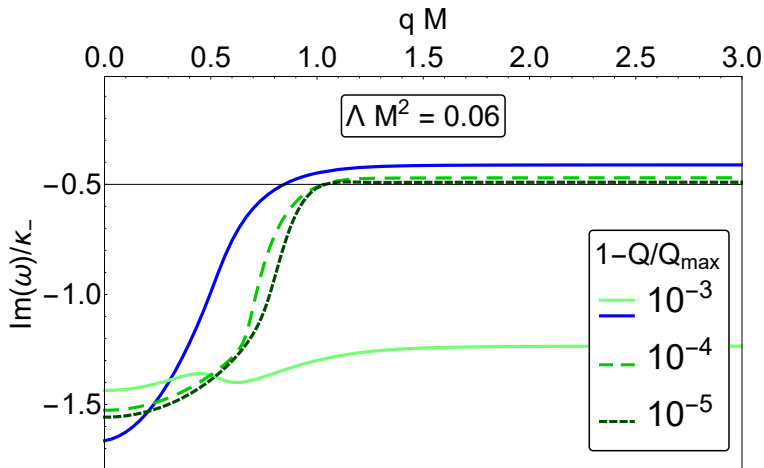
V. Cardoso, J. L. Costa, KD, P. Hintz, A. Jansen (Phys. Rev. Lett. 120, 031103)

Dominant charged modes and SCC

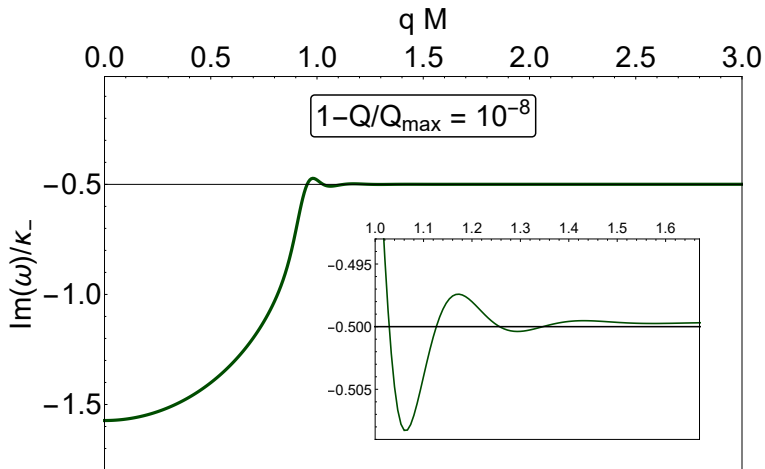


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Dominant charged fermionic modes and SCC



Dominant charged fermionic modes and SCC



β **controls** the stability of Cauchy horizons and **the fate of Strong Cosmic Censorship**.

If $\beta > 1/2$ the Cauchy horizon can be stabilized and **Strong Cosmic Censorship may be violated**

By studying **charged scalars and fermions** in Reissner-Nordström-de Sitter we find regions of the parameter space for which $\beta > 1/2$.

Our results indicate a potential **failure of determinism in General Relativity**.